

## Examination

### Exercise 1

Consider an initial reference frame  $O_0 - x_0y_0z_0$ . Determine a second reference frame by rotating, counterclockwise, the previous reference frame of 30 degrees around the axis  $y_0$  and, again, turning clockwise the frame obtained of 60 degrees around its axis  $x$ . Finally, rotate the reference frame obtained of 90 degrees in the clockwise sense around its axis  $z$ . Let  $O_3 - x_3y_3z_3$  be the frame obtained at the end of the three rotations.

Compute the rotation matrix that describes the coordinate transformation of a vector expressed in the reference frame  $O_3 - x_3y_3z_3$  in the coordinates of the same vector expressed in the frame  $O_0 - x_0y_0z_0$ .

### Exercise 2

Draw a planar manipulator with three degrees of mobility: all the joints are of rotoidal type.

1. Number the joints, determine the reference frames associated with the degrees of mobility, as well as the parameters, according to the Denavit-Hartenberg Convention.
2. Define the joint variables and indicate them on the picture.
3. Determine the homogeneous transformation matrix which describes the direct kinematics of the manipulator.

### Exercise 3

Describe the so-called Direct Force Control approach and draw a force control scheme with force/position parallel.